# Introduction to cosimmr 

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10 April, 2024

## Learning outcomes

- Understand how cosimmr extends simmr


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- How to use cosimmr:


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- Understand how cosimmr extends simmr
- How to use cosimmr:
- Loading data into cosimmr
- Running cosimmr
- Outputs from cosimmr


## Revision: simmr model

- The simmr model defined earlier:

$$
y_{i j} \sim N\left(\frac{\sum_{k=1}^{K} p_{k} q_{j k}\left(\mu_{s, j k}+\mu_{c, j k}\right)}{\sum_{k=1}^{K} p_{k} q_{j k}}, \frac{\sum_{k=1}^{K} p_{k}^{2} q_{j k}^{2}\left(\sigma_{s, j k}^{2}+\sigma_{c, j k}^{2}\right)}{\left(\sum_{k=1}^{K} p_{k} q_{j k}\right)^{2}}+\sigma_{j}^{2}\right)
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$$

- We also have prior distributions on p (CLR) and $\sigma^{2}$ (gamma)


## The CLR prior

- the centralised log ratio (CLR) or softmax transformation:

$$
\left[p_{1}, \ldots, p_{K}\right]=\left[\frac{\exp \left(f_{1}\right)}{\sum_{j} \exp \left(f_{j}\right)}, \ldots, \frac{\exp \left(f_{K}\right)}{\sum_{k} \exp \left(f_{k}\right)}\right]
$$

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- In CLR regression, we put a prior on the $f_{k}$
- The CLR transformation guarantees that all the dietary proportions will sum to 1
- In simmr the prior on $f_{k}$ is:

$$
f \sim m v n\left(\mu_{0}, \Sigma_{0}\right)
$$

## Expanding the model

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- We might want to include covariates (height, weight, etc)


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## Random effects for individuals

- We don't necessarily need a grouping structure (e.g. pack, sex, etc) to be able to include random effects in a SIMM
- In a SIMM we might reasonably assume that every consumer is eating something slightly different and want to quantify the overall mean diet as well as the variability between consumers
- We can do this by modelling each consumer's dietary proportion $p_{i k}$ with a normally distributed prior on the CLR transform of $p$


## How we include covariates

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- Where $X$ is the matrix of covariate values and $\beta$ is given a multivariate normal distribution.

$$
\beta \sim m v n\left(\mu_{\beta}, \Sigma_{\beta}\right)
$$

## Why covariates are useful

- Avoid pseudoreplication (Hulbert 1984)


## Why covariates are useful

- Avoid pseudoreplication (Hulbert 1984)
- Samples may be replicated but treatments aren't!


## The updated model

$$
y_{i j} \sim N\left(\frac{\sum_{k=1}^{K} p_{i k} q_{k j}\left(\mu_{c, k j}+\mu_{s, k j}\right)}{\sum_{k=1}^{K} p_{i k} q_{k j}}, \frac{\sum_{k=1}^{K} p_{i k}^{2} q_{k,}^{2}\left(\sigma_{c, k j}^{2}+\sigma_{s, k j}^{2}\right)}{\sum_{k=1}^{K} p_{i k}^{2} q_{k j}^{2}}+\sigma_{j}^{2}\right)
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The updated model (cont)

- This model allows users to include covariates

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- This model allows users to include covariates
- We also get unique results for each consumer

The package cosimmr

## Background of the package

- Uses Fixed Form Variational Bayes


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- Uses Fixed Form Variational Bayes
- This is an optimisation-based algorithm
- Quicker than sampling-based algorithms (e.g. JAGS)


## FFVB

- Works by minimising the divergence between an assumed distribution and the posterior distribution


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- Works by minimising the divergence between an assumed distribution and the posterior distribution
- Tran et al 2021 is a useful paper if you'd like more detail!


## How to use cosimmr

- https://github.com/emmagovan/cosimmr


## How to use cosimmr

- https://github.com/emmagovan/cosimmr
- Might need to currently download individual functions - work in progress!


## Structure of data to be loaded in

cosimmr_in <- cosimmr_load(formula, source_names, source_means, source_sds, correction_means, correction_sds, concentration_means, scale_x = TRUE)

- Same format as simmr


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\text { cosimmr_in <- cosimmr_load } & \text { formula, } \\
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- Input as mixture ~ covariate1 + covariate2


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- Same format as simmr
- Main difference is the formula
- To run the same as simmr just use mixture ~ 1
- Input as mixture ~ covariate1 + covariate2
- scale_x for covariates
- as.factor for categorical variables


## Running cosimmr

```
cosimmr_out = cosimmr_ffvb(cosimmr_in)
```

- Again similar to simmr


## Running cosimmr

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- Again similar to simmr
- Can adjust priors and FFVB parameters if you wish


## Alligator Data example

- To illustrate we will use data that comes with cosimmr


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- From Nifong et al, 2015


## Loading Data

```
data("alligator_data")
cosimmr_alli <-cosimmr_load(
    formula = as.matrix(alligator_data$mixtures) ~ alligator_data$length,
    source_names = alligator_data$source_names,
    source_means = as.matrix(alligator_data$source_means),
    source_sds = as.matrix(alligator_data$source_sds),
    correction_means = as.matrix(alligator_data$TEF_means),
    correction_sds = as.matrix(alligator_data$TEF_sds))
```


## Isospace Plot

- We can create an isospace plot to confirm all the individuals lie within the mixing polygon, similarly to simmr
plot(cosimmr_alli)


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plot(cosimmr_alli)
- Like simmr, its important to check that all individuals lie within the mixing polygon
- If they don't it indicates something is wrong - perhaps with data collection or with TEF calculation


## Isospace Plot

Tracers plot



## Running cosimmr

```
cosimmr_alli_out = cosimmr_ffvb(cosimmr_alli)
```

Outputs

## Summary

```
summary(cosimmr_alli_out, type = c("statistics"))
Summary for Individual 1
    mean sd
Marine 0.748 0.017
Freshwater 0.252 0.017
d13C 2.010 0.504
d15N 0.549 0.200
- Defaults to info on first individual
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- Defaults to info on first individual
- Other options - quantiles, correlations
- Gives an overview of their diet
```


## Plots

- Multiple options
plot(cosimmr_alli_out,

$$
\begin{aligned}
& \text { type = c("isospace", "beta_histogram", "p_ind"), } \\
& \text { ind =1) }
\end{aligned}
$$

## Plots

- Multiple options
plot(cosimmr_alli_out, type $=c($ "isospace", "beta_histogram", "p_ind"),
ind $=1)$
- Again specify the individual


## Isospace Plot

Tracers plot



## Beta Histogram

beta histogram plot: covariate 1


- This is useful for seeing what covariates are "important" to your model


## Proportions Plot

## p_ind plot: individual 1



- See estimates for food being consumed by an individual


## Accessing outputs for your own plots

- Easily done!
cosimmr_alli_out\$output\$BUGSoutput\$sims.list\$p


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cosimmr_alli_out\$output\$BUGSoutput\$sims.list\$p
- Will not be a matrix!
- no.individuals $*$ no.samples $*$ no.isotopes

Proportions changing over covariate
Marine


Proportions changing over covariate
Freshwater


## Predict function

```
x_pred = data.frame(length = c(100,210,302))
print(x_pred)
## length
## 1 100
## 2 210
## 3 302
alli_pred = predict(cosimmr_alli_out, x_pred)
```


## Summary

summary(alli_pred, ind $=c(1,2,3)$, type $=$ "statistics")
Summary for Individual 1

|  | mean | sd |
| ---: | ---: | ---: |
| $[1]$, | 0.219 | 0.022 |
| $[2]$, | 0.781 | 0.022 |

Summary for Individual 2

|  | mean | sd |
| ---: | ---: | ---: |
| $[1]$, | 0.717 | 0.029 |
| $[2]$, | 0.283 | 0.029 |

Summary for Individual 3
mean sd
[1,] 0.940 .016
$[2]$,

## Plot

plot(alli_pred, type = "beta_boxplot")
beta boxplot: covariate 1


## Speed Comparison to MixSIAR

Unit: seconds

| expr | min | lq | mean | median | uq | max |
| ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| cosimmr | 111.0862 | 120.658 | 125.8095 | 126.5247 | 132.2483 | 139.9875 |
| JAGS | 1329.9057 | 1348.693 | 1383.0132 | 1378.8913 | 1409.9970 | 1449.0150 |

- Designed to be easy to use - don't need to know details of the algorithm working in the background!


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- Quicker than MixSIAR


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- We looked at the differences between simmr and cosimmr


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- We showed how to include random effects in a SIMM


## Summary

- We looked at the differences between simmr and cosimmr
- We showed how to include random effects in a SIMM
- We learned how to run code in cosimmr


## References

- Nifong, J. C., C. A. Layman, and B. R. Silliman. 2015. Size, sex and individuallevel behaviour drive intrapopulation variation in cross-ecosystem foraging of a top-predator. Journal of Animal Ecology 84:35-48.
- Tran, Minh-Ngoc, Trong-Nghia Nguyen, and Viet-Hung Dao. "A practical tutorial on variational Bayes." arXiv preprint arXiv:2103.01327 (2021).
- Hulbert, Stuart H. "Pseudoreplication and the design of ecological field experiments." Ecological monographs 54.2 (1984): 187-211.

Any questions, bugs found, suggestions - please email me
emmagovan@gmail.com or report at
https://github.com/emmagovan/cosimmr/issues. Thanks!

